

How Computers Work

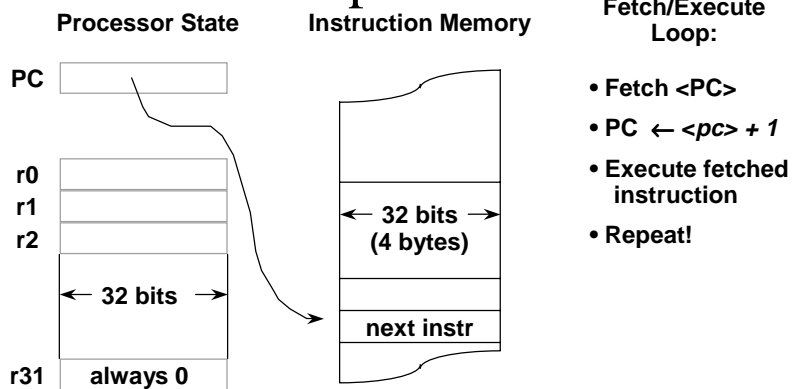
Lecture 2

Assembly Tools

Calling Conventions

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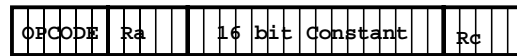
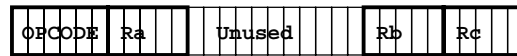
Review: β Model of Computation



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Review: BETA Instructions

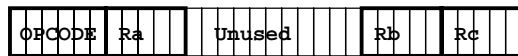
Two 32-bit Instruction Formats:



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Review: β ALU Operations

What the machine sees (32-bit instruction word):



SIMILARLY FOR:

- SUB, SUBC
- (optional) MUL, MULC
- DIV, DIVC

What we prefer to see: symbolic ASSEMBLY LANGUAGE

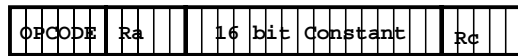
$\text{ADD}(ra, rb, rc) \quad rc \leftarrow \langle ra \rangle + \langle rb \rangle$

"Add the contents of ra to the contents of rb; store the result in rc"

BITWISE LOGIC:

- AND, ANDC
- OR, ORC
- XOR, XORC

Alternative instruction format:



$\text{ADDC}(ra, \text{const}, rc) \quad rc \leftarrow \langle ra \rangle + \text{sext}(\text{const})$

"Add the contents of ra to const; store the result in rc"

SHIFTS:

- SHL, SHR, SAR
- (shift left, right; shift arith right)

COMPARES

- CMPEQ, CMPLT, CMPLE

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Review: β Loads & Stores

LD(ra, C, rc) $rc \leftarrow \langle \text{Mem}[\langle ra \rangle + \text{sext}(C)] \rangle$

“Fetch into rc the contents of the data memory location whose address is the contents of ra plus C”

ST(rc, C, ra) $\text{Mem}[\langle ra \rangle + \text{sext}(C)] \leftarrow \langle rc \rangle$

“Store the contents of rc into the data memory location whose address is the contents of ra plus C”

NO BYTE ADDRESSES: only 32-bit word accesses are supported. This is similar to how Digital Signal Processors work. It is somewhat unusual for general purpose processors, which are usual byte (8 bit) addressed.

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Review: β Branches

Conditional: $rc = \langle PC \rangle + 1$; then

BRNZ(ra, label, rc) if $\langle ra \rangle$ nonzero then
 $PC \leftarrow \langle PC \rangle + \text{displacement}$

BRZ(ra, label, rc) if $\langle ra \rangle$ zero then
 $PC \leftarrow \langle PC \rangle + \text{displacement}$

Unconditional: $rc = \langle PC \rangle + 1$; then
BRZ(r31, label, rc) $PC \leftarrow \langle PC \rangle + \text{displacement}$

Indirect: $rc = \langle PC \rangle + 1$; then
JMP(ra, rc) $PC \leftarrow \langle ra \rangle$

Note:
 “displacement”
 is coded as a
CONSTANT in
 a field of the
 instruction!

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Review: Iterative Optimized Factorial

```

;assume n = 20, val = 1      n:    20
                             val:  1

(define (fact-iter n val)
  (if (= n 0)
      val
      (fact-iter (- n 1) (* n val))))

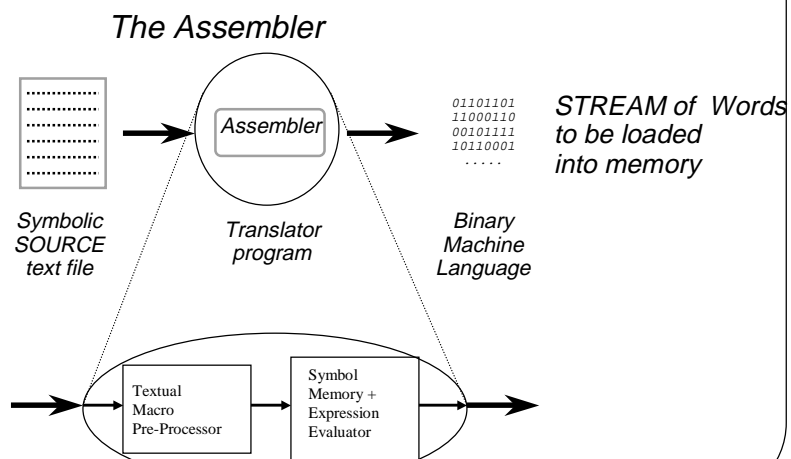
LD(n, r1)      ; n in r1
LD(val, r3)    ; val in r3
BRZ(r1, done)

loop:
  MUL(r1, r3, r3)
  SUBC(r1, 1, r1)
  BRNZ(r1, loop)

done:
  ST(r1, n)      ; new n
  ST(r3, val)   ; new val
  
```

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Language Tools



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Macros

Macros are parameterized abbreviations that when invoked cause TEXTUAL SUBSTITUTION

| Macro to generate 4 consecutive numbers:

```
.macro consec4(n)  n  n+1  n+2  n+3
```

| Invocation of above macro:

```
consec4(37)
```

Is translated into:

```
37 37+1 37+2 37+3
```

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Some Handy Macros

| BETA Instructions:

ADD(ra, rb, rc)	rc ← <ra> + <rb>
ADDC(ra, const, rc)	rc ← <ra> + const
LD(ra, C, rc)	rc ← <C + <ra>>
ST(rc, C, ra)	C + <ra> ← <rc>
LD(C, rc)	rc ← <C>
ST(rc, C)	C ← <ra>

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Constant Expression Evaluation

37 -3 255 *decimal (default);*
0b100101 *binary (0b prefix);*
0x25 *hexadecimal (0x prefix);*

Values can also be expressions; eg:

37+0b10-0x10 24-0x1 4*0b110-1 0xF7&0x1F

generates 4 words of binary output, each with the value 23

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Symbolic Memory

We can define SYMBOLS:

x = 1 | 1
y = **x** + 1 | 2

Which get remembered by the assembler. We can later use them instead of their values:

ADDC(x, 37, y) | R2 ← <R1> + 37

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How Are Symbols Different Than Macros?

- Answer:
 - A **macro's** value at any point in a file is the last previous value it was assigned.
 - Macro evaluation is purely textual substitution.
 - A **symbol's** value throughout a file is the very last value it is assigned in the file.
 - Repercussion: we can make “forward” references to symbols not yet defined.
 - Implementation: the assembler must first look at the entire input file to define all symbols, then make another pass substituting in the symbol values into expressions.

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Dot, Addresses, and Branches

Special symbol “.” (period) changes to indicate the address of the next output byte.

We can use . to define branches to compute RELATIVE address field:

```
.macro BRNZ(ra,loc) betaopc(0x1E,ra,(loc-.)-1,r31)
```

```
loop = . | "loop" is here...
  ADDC(r0, 1, r0)
  ...
  BRNZ(r3, loop) | Back to addc instr.
```

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Address Tags

x: is an abbreviation for **x = .** -- leading to programs like

```
x:      0

buzz: LD(x, r0)           do { x = x-1; }
      ADDC(r0, -1, r0)
      ST(r0, x)
      BRNZ(r0, buzz)     while (x > 0);
      ...
```

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Macros Are Also Distinguished by Their Number of Arguments

We can extend our assembly language with new macros. For example,
we can define an UNCONDITIONAL BRANCH:

```
BR(label, rc)    rc ← <PC>+4; then
                 PC ← <PC> + displacement
```

```
BR(label)        PC ← <PC> + displacement
```

by the definitions

```
.macro BR(lab, rc) BRZ (r31,lab, rc)
```

```
.macro BR(lab)    BR(lab,r31)
```

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OK, How about recursive fact?

```
(define (fact n)
  (if (= n 0)
      1
      (* n (fact (- n 1)))))
) )
```

```
int fact(int n)
{
  if (n == 0)
    return (1);
  else
    return (n * fact(n-1));
}
```

Suppose caller:

1. Stores `n` in agreed-on location (say, `r1`)
2. Calls `fact` using, say, `BR(fact, r28)`

Then `fact`:

1. Computes value, leaves (say) in `r0`.
2. Returns via `JMP(r28, r31)`

R28 Convention: We call it the **Linkage Pointer**

(just like scheme RML's *continue* register)

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Does this really work?

```
int fact(int n)
{
  if (n == 0)
    return (1);
  else
    return (n * fact(n-1));
}
```

fact:

...

`BR(fact, LP)`

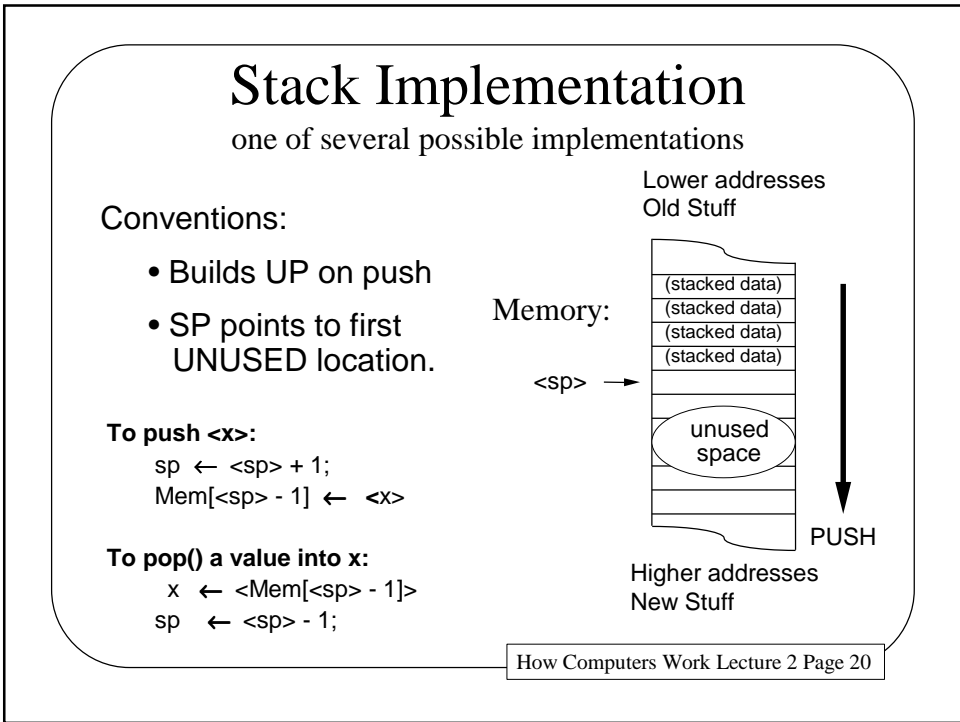
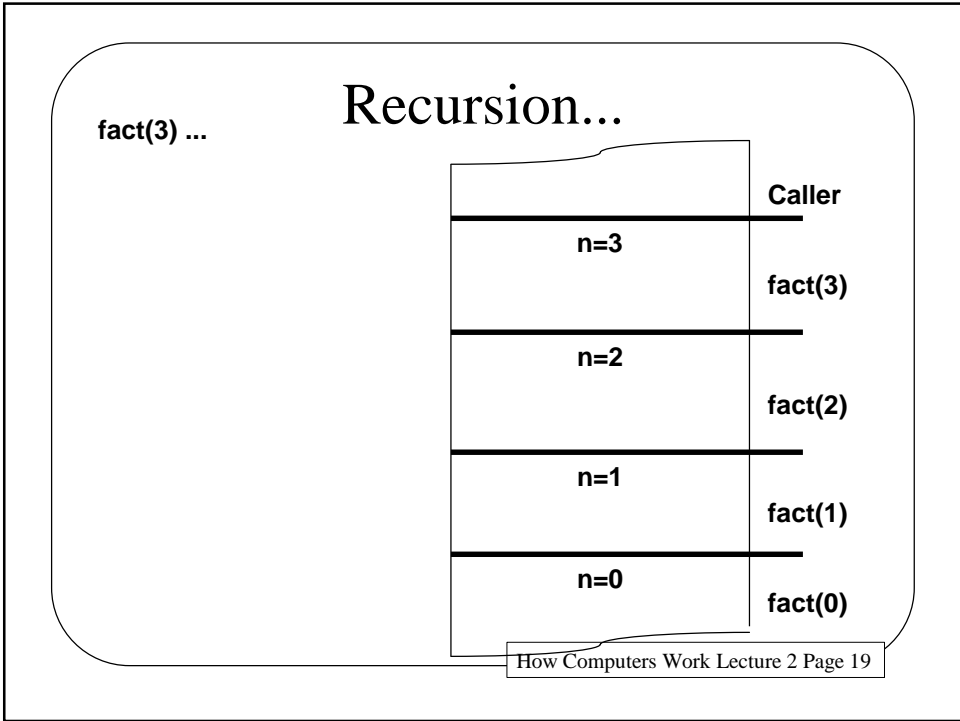
...

(put result in `r0`)



We need a STACK !!!

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Support Macros for Stacks

sp = r29

push(rx) - pushes 32-bit value onto stack.

```
ADDC(sp, 1, sp)
```

```
ST(rx, -1, sp)
```

pop(rx) - pops 32-bit value into rx.

```
LD(rx, -1, sp)
```

```
ADDC(SP, -1, sp)
```

allocate(k) - reserve k WORDS of stack

```
ADDC(SP, k, sp)
```

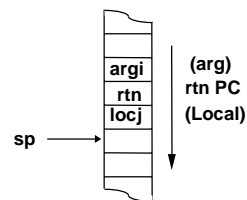
deallocate(k) - give back k WORDS

```
SUBC(SP, k, sp)
```

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The Stack

- **STACK** as central storage-management mechanism...
 - SIMPLE, EFFICIENT to implement using contiguous memory and a "stack pointer"
 - ORIGINAL USE: subroutine return points - push/pop **STACK DISCIPLINE** follows natural order of call/return nesting.
 - EXPANDED USE: "automatic" or "dynamic" allocation of local variables.
- **REVOLUTIONARY IMPACT:**
 - ALL modern machines, to varying extents;
 - ALL modern languages



STACK DISCIPLINE:
most recently
allocated location
is next location to
be deallocated.

IMPACT:
BLOCK
STRUCTURE.

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Call / Return Linkage

```
lp = r28
sp = r29
```

Using these macros and *r28* as a “linkage pointer”, we can call *f* by:

```
BR(f, lp)
```

And code procedure *f* like:

```
f:      PUSH(lp)           | SAVE lp
        <perform computation> | (may trash lp)
        POP(lp)           | RESTORE lp
        JMP(lp)           | Return to caller
```

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Recursion with Register-Passed Arguments

```
| Compute Fact(n)
| n passed in r1, result returned in r0
```

```
fact:   PUSH(lp)           | Save linkage pointer
        BRZ(r1, fact1)     | terminal case?
        PUSH(r1)           | Save n,
        ADDC(r1, -1, r1)   | compute fact(n-1).
        BR(fact, lp)      | recursive call to fact.
        POP(r1)           | restore arg,
        MUL(r1, r0, r0)    | return n*fact(n-1)

factx:  POP(lp)           | restore linkage pointer
        JMP(lp)           | and return to caller.

fact1:  MOVC(1, r0)        | fact(0) => 1
        BR(factx)
```

```
.macro MOV(rsrc, rdest)      ADD (rsrc, r31, rdest)
.macro MOVC(csrc, rdest)    ADDC (r31, csrc, rdest)
```

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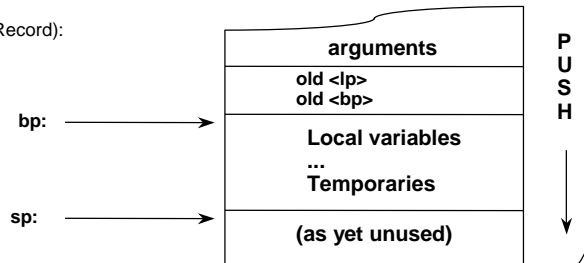
A Generic Stack Frame Structure: The 6.004 Stack Discipline

RESERVED REGISTERS:

bp = r27. Base ptr, points to 1st local.
lp = r28. Linkage pointer, saved <PC>.
sp = r29. Stack ptr, points to 1st unused word.
xp = r30. Exception pointer, saved <PC>

STACK FRAME

(a.k.a. Function Activation Record):



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6.004 Stack Discipline Procedure Linkage

Calling Sequence:

PUSH(arg _n)	push args, in
...	RIGHT-TO-LEFT
PUSH(arg ₁)	order!
BR(f, lp)	Call f.
DEALLOCATE(n)	Clean up!
...	(returned value now in r0)

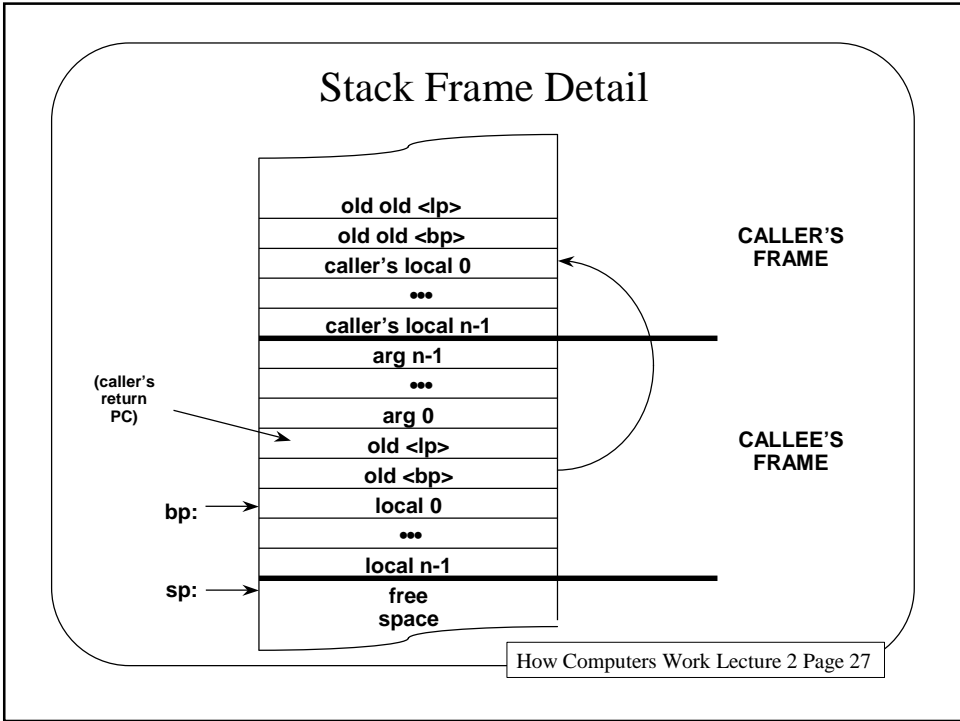
Entry Sequence:

f:	PUSH(lp)	Save <LP>, <BP>
	PUSH(bp)	for new calls.
	MOV(sp, bp)	set bp=frame base
	ALLOCATE(locals)	allocate locals
	(push other regs)	preserve regs used
	...	

Return Sequence:

(pop other regs)	restore regs
MOV(val, r0)	set return value
MOV(bp, sp)	strip locals, etc
POP(bp)	restore linkage
POP(lp)	(the return <PC>)
JMP(lp)	return.

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Access to Arguments & Local Variables

To access j^{th} local variable ($j \geq 0$)

LD(BP, (j, rx))
or
ST(rx, j, bp)

To access j^{th} argument ($j \geq 0$):

LD(BP, 3-j, rx)
or
ST(rx, 3-j, bp)

bp: →

sp: →

arg n-1
...
arg 0
old <ip>
old <bp>
local 0
...
local n-1
free space

QUESTION: Why push args in REVERSE order???

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Procedure Linkage: The Contract

The caller will:

- Push args onto stack, in reverse order.
- Branch to callee, putting return address into lp.
- Remove args from stack on return.

The callee will:

- Perform promised computation, leaving result in r0.
- Branch to return address.
- Leave all regs (except lp, r0) unchanged.

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Recursive factorial with stack-passed arguments

```
| (define (fact n)
|   (if (= n 0) 1 (* n (fact (- n 1))))
| )

fact:  PUSH(lp)           | save linkages
       PUSH(bp)          |
       MOV(sp, bp)       | new frame base
       PUSH(r1)          | preserve regs

       LD(bp, -3, r1)    | r0 ← n
       BRNZ(r1, big)    | if n>0
       MOVC(1, r0)       | else return 1;
       BR(rtn)

big:   SUBC(r1, 1, r1)    | r1 ← (n-1)
       PUSH(r1)          | arg1
       BR(fact, lp)      | fact(n-1)
       DEALLOCATE(1)     | (pop arg)
       LD(bp, -3, r1)    | r0 ← n
       MUL(r1, r0, r0)   | r0 ← n*fact(n-1)

rtn:   POP(r1)           | restore regs
       MOV(bp, sp)       | Why?
       POP(bp)           | restore links
       POP(lp)           |
       JMP(lp)           | return.
```

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What did we Learn Today?

- How to call functions
- How to do recursive factorial
- The 6.004 Stack Discipline
- How to retrieve arguments and local variables

Next In Section

- Practice with Stack Discipline

C Tutorial

<http://www.csc.lsu.edu/tutorial/ten-commandments/bwk-tutor.html>

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